

# **Lidar activities at CEReS**

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# **Lidar activities at CEReS**

- •Portable Automated Lidar (PAL)
- •Micro Pulse Lidar (MPL)
- •Four-wavelength Lidar Look-up Table approach for the determination of aerosol profiles

• Imaging Lidar – Application of the wide FOV telescope of the *Ashra-I* project

# Portable Automated Lidar (PAL) Automatic alignment



## PAL (Portable Automated Lidar)

#### **Observation of tropospheric aerosols and clouds**



# A-scope of PAL



#### Aerosol concentration in the boundary layer: comparison between PAL data and ground data



Lidar Signal



Time

#### **Micro-Pulse Lidar and Portable Automated Lidar**



W. Chen *et al.*, Atmospheric Environment, 35 4273-4280 (2001). Display



	MPL	PAL	
Laser	SHG of LD- pumped Nd:YLF	SHG of LD-pumped Nd:YAG	
Wavelength	523 nm	532 nm	
Laser pulse repetition	2.5 kHz	2.5 kHz / 1.4 kHz	
Pulse energy	4 $\mu$ J/pulse	6 μJ/pulse	
Telescope	Cassegrainian 20cm		
Transmitter	In-line type	collinear	
Target	Aerosol, boundary layer, cloud height		
Detection mode	Photon counting		
Detector	Si-APD PMT		

#### Autonomous monitoring of cloud base height with MPL



Sukhothai, Thailand, 14-15 July, 1997





Aerosol profile measurement with the CEReS 4-wavelength lidar

•355, 532, 756, and 1064 nm

80 cm telescope with4 photomultipliers

Kinjo *et al.*, Jpn.J. Appl.Phys., 40, 434-440 (2001); Yabuki *et al.* Jpn.J.Appl.Phys., 42, 686-694 (2003).



## **Lidar Equation**



#### **Solution of the lidar equation (Fernald method)**

$$S_{1}(R) = \alpha_{1}(R) / \beta_{1}(R) = \sigma_{1}(R) / \left(\frac{d\sigma_{1}}{d\Omega}\right)_{\theta=\pi}, \quad S_{2}(R) = \alpha_{2}(R) / \beta_{2}(R) = 8.52$$

$$\alpha_{1}(R) = -\frac{S_{1}(R)}{S_{2}} \alpha_{2}(R) + \frac{S_{1}(R)X(R)\exp I(R)}{\frac{X(R_{c})}{\frac{\alpha_{1}(R_{c})}{S_{1}(R_{c})} + \frac{\alpha_{2}(R_{c})}{S_{2}}} + J(R)$$

$$X(R) = R^{2}P(R), \quad I(R) = 2\int_{R}^{R_{c}} \left[\frac{S_{1}(R')}{S_{2}} - 1\right] \alpha_{2}(R') dR'$$
$$J(R) = 2\int_{R}^{R_{c}} S_{1}(R') X(R') \exp I(R') dR'$$



Aerosol extinction coefficient and the Angstrom parameter Time evolution of the aerosol vertical profile (2002.3.20, 13:00 – 3.21, 3:00)



# Look-up table (LUT) method



# Theory of Mie scattering

Scattered  
radiance  
$$I(\theta) = \frac{I_0}{R^2} \frac{d\sigma_{scat}}{d\Omega} = \frac{I_0}{R^2} \frac{|F_1(\theta)|^2 + |F_2(\theta)|^2}{2k^2}$$
Differential cross section  
Scattering  
amplitude  
$$F_1(\theta) = \sum_{l=1}^{\infty} \frac{2l+1}{l(l+1)} \{a_l \pi_l(\cos \theta) + b_l \tau_l(\cos \theta)\}$$

$$F_2(\theta) = \sum_{l=1}^{\infty} \frac{2l+1}{l(l+1)} \{ b_l \pi_l (\cos \theta) + a_l \tau_l (\cos \theta) \}$$

$$\pi_l(\cos\theta) = \frac{1}{\sin\theta} P_l^{(1)}(\cos\theta) , \quad \tau_l(\cos\theta) = \frac{d}{d\theta} P_l^{(1)}(\cos\theta)$$

Associated Legendre functions

Constants determined by the boundary conditions:  $(a_l, b_l)$ 

$$a_{l} = \frac{\psi_{l}'(\tilde{n}ka)\psi_{l}(ka) - \tilde{n}\psi_{l}(\tilde{n}ka)\psi_{l}(ka)}{\psi_{l}'(\tilde{n}ka)\varsigma_{l}(ka) - \tilde{n}\psi_{l}(\tilde{n}ka)\varsigma_{l}'(ka)}$$
$$b_{l} = \frac{\tilde{n}\psi_{l}'(\tilde{n}ka)\psi_{l}(ka) - \psi_{l}(\tilde{n}ka)\psi_{l}'(ka)}{\tilde{n}\psi_{l}'(\tilde{n}ka)\varsigma_{l}(ka) - \psi_{l}(\tilde{n}ka)\varsigma_{l}'(ka)}$$
$$(1 d)^{l}(\sin \xi)$$

$$\tilde{i}$$
 : complex refractive index

$$k=2\pi/\lambda$$

*a* :radius of the dielectric sphere

$$\begin{cases} \psi_{l}(\xi) = (-1)^{l} \xi^{l+1} \left(\frac{1}{\xi} \frac{d}{d\xi}\right)^{l} \left(\frac{\sin \xi}{\xi}\right) \\ \chi_{l}(\xi) = (-1)^{l} \xi^{l+1} \left(\frac{1}{\xi} \frac{d}{d\xi}\right)^{l} \left(\frac{\cos \xi}{\xi}\right) \\ \zeta_{n}(\xi) = \psi_{l}(\xi) + i \chi_{l}(\xi) \end{cases}$$



# Phase functions (Angular dependence of the differential cross section)



# **Extinction and** $S_1$ profiles derived from the smoothed parameters (LUT method)



# Vertical profiles of the complex refractive index and size distribution as derived from actual lidar data



#### **Comparison of aerosol extinction profiles between the LUT and conventional methods**



**LUT method** 

#### **Fernald method**

Wavelength (nm)	355	532	756	1064
$S_1(sr)$	49.8	47.9	43.3	37.9

#### Aerosol characteristics over the urban Chiba area



Monthly change of the aerosol types from the chemical measurements.



Ashra (all-sky survey high resolution air-shower) telescope



# **Regional atmospheric monitoring with** <u>an imaging lidar</u>

#### System configuration

Wide FOV, highresolution telescope
Scanning laser

## <u>Monitoring of urban</u>

atmosphere

#### Distribution of SPM

- Mie scattering lidar
- Trace gases (pollutants)
  - Raman lidar
  - Differential Absorption lidar (DIAL)
  - DOAS



## Real time, 3-dim. measurement in a range of 100m ~ 10km

#### Observation with an imaging lidar



#### **Imaging lidar vs. conventional lidar**





FOV of imaging lidar

FOV of conventional lidar

Angular scan of a portable lidar



Imaging lidar Wide Field-of-view (50 deg × 50 deg) Only the laser beam is scanned Capability of quick measurement

**Eye-safety** 

### Laser power must be under the Maximum Permissible Exposure (MPE) (JIS C6802 safety standard)

 Operation wavelength of the Ashra telescope is between 300-420 nm.

(Wavelength range of the air-shower fluorescence)

- For a pulse width of 20 ns with 2 kHz repetition frequency,
  - MPE =  $4 J/m^2 @ 355 nm$

(about 300  $\mu$ J/pulse for a beam diameter of 10 mm) *cf.* MPE = 5 mJ/m<sup>2</sup> <sup>@</sup> 532 nm



2/3 scale prototype

1/3 scale portable model

Two models

#### **Geometry of bistatic measurement**



# 1/3 scale model Ashra telescope Bistatic measurement

#### Backscattering measurement

Lidar equation for bistatic measurement

$$P = P_0 \quad K \quad \frac{A}{r^2} \quad ds \quad \beta(\theta_{\text{scat}}) \quad T_t \quad T_t$$
where
$$ds = \frac{r \ \theta_{\text{FOV}}}{r}$$

 $\sin(\theta_{\rm scat})$ 

where

- P Received power [W]
- $P_0$ Transmitted power [W]
- Optical efficiency of the telescope K

ds =

- Effective area of main mirror [m<sup>2</sup>] A
- Range to the target [m] r
- ds Laser path length in one pixel [m] Scattering coefficient [m<sup>-1</sup>sr<sup>-1</sup>]
- $T_{\rm t}$ Transmittance from laser to target
- $T_{\rm r}$ Transmittance from target to telescope



#### Comparison of Lidar Parameters

Comparison of li	dar parameters				
	CEReS Multiwavelength Lidar	MPL	Ashra (2/3 scale)	Ashra (2/3 scale)	Ashra (1/3 scale)
			(near)	(far)	
Sensor	PMT	PMT	CMOS (128 × 128)	CMOS (3000 × 3000)	128 × 128
Target range	10 km	10 km	100 m	5 km	100 m
Wavel	3565, 532, 756, 1064 nm	523 nm	351 nm	355 nm	351 nm
Telescope diam.	80 cm	20 cm	70 cm	70 cm	25~35 cm
FOV	2 mrad (0.5 ~ 10 mrad)	100 mrad	50 ° × 50 °	50 ° × 50 °	50 ° × 50 °
FOV/pixel	-	-	7 mrad	0.29 mrad	7 mrad
Laser power	100, 50, 70, 150 mJ	5 µ J	50 µ J	0.29 mrad	50 µ J
Pulse width	5 ~ 9 ns <sup>*6</sup>	~ 10 ns	20 ns	5 ns	20 nsec.
Gate time	20 ns <sup>*1</sup>	-	1 μs <sup>*2</sup>	33 µ s <sup>*2</sup>	1 µ s <sup>*2</sup>
Repetition freq.	10 Hz	2.5 kHz	1kHz <sup>*3</sup>	10 Hz	1kHz <sup>*3</sup>
Gain	9.5 × 10 <sup>6</sup> , 5 × 10 <sup>5</sup> (1064 nm)	1 × 10 <sup>6 *7</sup>	1 × 10 <sup>6</sup>	1 × 10 <sup>6</sup>	1 × 10 <sup>6</sup>
tele	0.3	0.2 <sup>*7</sup>	0.3 <sup>*5</sup>	0.3 <sup>*5</sup>	0.3 <sup>*5</sup>
PMT	0.3, 0.2, 0.084, 0.0006	0.2 <sup>*7</sup>	0.2 <sup>*4</sup>	0.2 <sup>*4</sup>	0.2 <sup>*4</sup>
*1 Sampling freque	anav of digital CPO				
*2 With intelligent	trigger $\sim 10 \text{ ns}$				
*3 Limited by the data processing speed					
*4 OF at the electrostatic LL					
*5 Transmission of 3 lanses 0.9 each mirror reflectance 0.8		ance 0.8 de	tector eclipse ratio 50%		
*6. 355. 532 nm $\pm$ 5 ~ 7 ns. 756 nm $\pm$ 5 ~ 9 ns. 1064 nm $\pm$ 6 ~ 8 ns.					
*7 Assumption					

Laser : Photonics Industries (DC30-351YLF)

- ·Wavelength 351 nm, Power 50 150 µJ
- Frequency 1-2 kHz, Pulse Width 20 ns
- Background 1.68 × 10<sup>-8</sup> [Wm<sup>-2</sup>sr<sup>-1</sup>nm<sup>-1</sup>] @ 355nm
  (Nighttime) (Ten times as bright as the new moon case)
- FOV/pixel 7 mrad (128 × 128 pixels),
  0.29 mrad (3000 × 3000 pixels)
- •Filter Bandwidth 3 nm
- •Shot counts 10000 (10 s)

#### **Model profile of the atmosphere**



#### Laser power dependence

L = 100 m, Gate time = 1µs, night time background



 $\theta_{\text{laser}}$  is varied between 5 deg and 85 deg.

#### **Angular resolution dependence**

L = 100 m, Laser power = 50 µJ/pulse, Gate time = 1µs



7 mrad (128 × 128 pixels)

0.29 mrad (3000 × 3000 pixels)

#### Altitude & Range (L = 100 m)



#### Altitude

Range

- Laser : Spectra Physics (GCR-130)
- ·Wavelength 355 nm, Power 80 mJ/pulse
- Frequency 10 Hz, Pulse Width 5 ns
- Background 1.68 × 10<sup>-8</sup> [Wm<sup>-2</sup>sr<sup>-1</sup>nm<sup>-1</sup>] for 355nm
  (Nighttime) (Ten times as bright as the new moon case)
- •FOV/pixel 0.29 mrad (3000 × 3000 pixels)
- ·Filter Bandwidth 3 nm
- •Shot Counts 100 (10 s)

#### *L*=5 km (nighttime)

Intelligent trigger



**'Because of the small background, longer gate time does not result in the S/N degradation.** 

•Gate time of 100 ns is roughly equal to the elapsed time in which the laser beam passes through a macro cell  $(24 \times 24 \text{ pixels})$  with the viewing angle of 0 ° at the range of 5 km.



#### *L*=5 km (daytime)



•Sky radiance at 355 nm is assumed to be 0.1 Wm<sup>-2</sup>sr<sup>-1</sup>nm<sup>-1</sup> on the basis of the MODTRAN simulation.

•Intelligent trigger is quite useful for the daytime measurement with a large background.

#### Altitude & Range (L = 5 km)



#### **Summary for the imaging lidar project**



<sup>•</sup> In the Ashra-I project, EHE cosmic-ray particles will be measured using wide-FOV, high-resolution telescopes. The FOV of 50 deg, resolution of 1 arcmin (0.29 mrad), intelligent high-speed shutter, and 1 kHz repetition rate indicate that the system has superior quality also for the telescope of an imaging lidar. The overall amplification factor of the detection system is 10<sup>6</sup>, equivalent to that of a conventional PMT.

• The greatest advantage of this telescope for an imaging lidar is that it provides a wide receiving angle, as opposed to very narrow acceptance angle of the conventional lidar telescopes. In the receiving angle of 50 deg, lidar observation can be carried out by scanning the laser beam. At CEReS, we are going to develop a Mie-scattering imaging lidar for the twodimensiona detection of aerosol particles.

#### Lidar activities at CEReS

Lidar : Light detection and ranging

Development of lidar observation of aerosols Multi-wavelength measurement of tropospheric aerosols Automated measurement with PAL and MPL Imaging lidar system using a wide FOV telescope

#### Multiple scattering calculations (Monte Carlo method)

Parameter	Value		
Wavelength	532 nm		
Receiver field-of-view FOV	3 mrad		
Photon histories	5 million		
Scattering order	10		
Personal computer	350 MHz		
Calculation time	about 4 hour		

The probability of *n*th order photon scattering  $P_n(R)$ :

$$P_n(R) = \frac{A_r G(R)}{4\pi R^2} \exp\left[-\sigma_e \left(\sum_{i=1}^n L_n + R_n\right)\right] \sigma_s p(\theta) \cos(\alpha_n)$$

where

 $\begin{array}{ll} \alpha_n &= \text{the arrival angle relative to the telescope axis (with an area $A_r$)} \\ \sigma_e &= \text{the extinction coefficient which is equal to the scattering coefficient $\sigma_s$ \\ p($\theta$) = the scattering phase function (Mie or Rayleigh) \\ L_n &= \text{the free-path length of the $n$th scattering photon $R_n$ &= the distance between $n$th scattering photon and the receiver $G(R)$ &= the geometrical form factor of the lidar optics $R_1$ &= the half distance in the total-path length of the photon. \end{tabular}$ 

